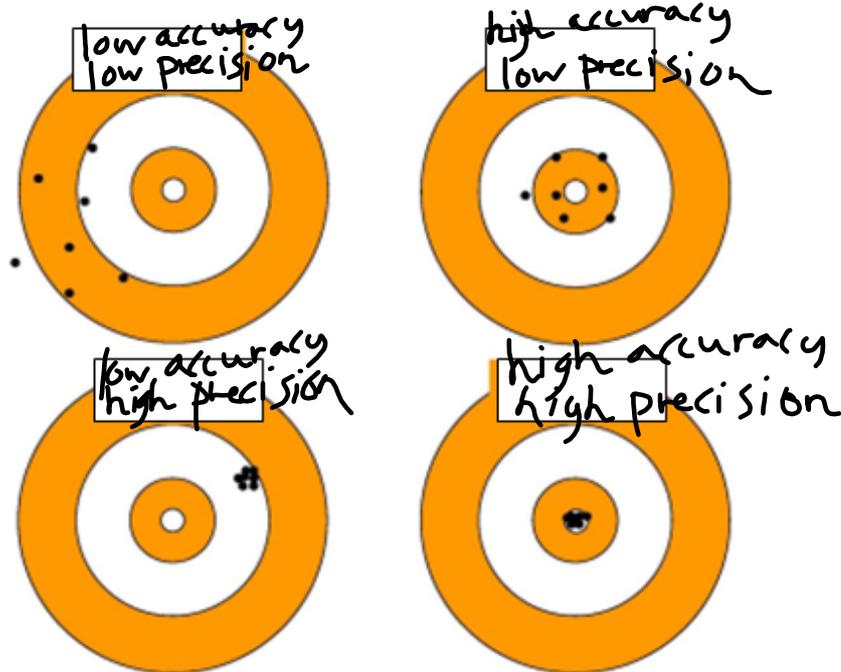


**Accuracy vs. Precision**

**Accuracy:** refers to the closeness of a measured value to a standard or known value.

**Precision:** refers to the closeness of two or more measurements to each other.

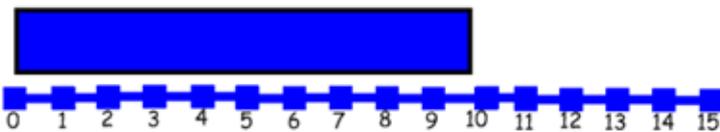


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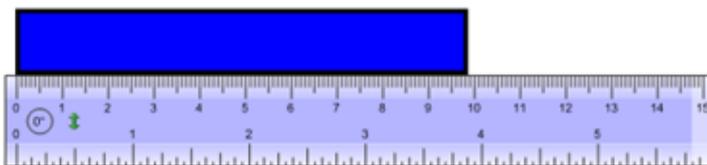
How long is the block?



Ans: 9.8



Ans: 9.8



Ans: 9.8

**Which measurement is the most precise?**

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### Significant Figures

1. Any digit that is not zero is significant  
example: 2.456    4 Sig Figs
2. Zeros between non-zero digits are significant. Count the "TRAPPED" zeros!  
example: 302    3 Sig Figs
3. Leading zeros are NOT significant.  
example: 0.006    1 Sig Fig
4. Trailing zeros only count IF there is a decimal in the number.  
example: 8.0    2 Sig Figs  
          80    1 Sig Fig
5. Counted or Defined Values = Exact Values
  - > Exact values are objects that have an **infinite** (unlimited) number
  - > of significant digits Exs: 4 dogs, 10 CDs, 3 birds, 452 coins, etc.

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### PRACTICE!

How many significant figures are in the following?

1. 4562 →

4. 0.0004 →

2. 9.81 →

5. 3.0700 →

3. 0.106 →

6. 7200 →

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**Rounding!**

We need to figure out how many sig figs we need then drop the extra digits.

This is done by rounding!

**If the number is 5 or higher we round up!**

ex) rewrite with 2 sig figs,

3.367 --> 3.4

**If the number is less than 5 we leave it!**

ex) rewrite with 2 sig figs,

3.347 --> 3.3

**Practice!**

Rewrite the following with the number of sig figs indicated in the brackets!

1) 0.2067 (2) ---->

4) 0.0523 (1) ---->

2) 34.2 (5) ---->

5) 4502.4 (1) ---->

3) 256000 (2) ---->

6) 1.5607 (4) ---->

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**Scientific Notation**

Scientific notation is a way to write numbers that are very large or very small. It can also be useful when dealing with significant figures.

Scientific notation is written in two parts:

- The first is just the digits (with the decimal point placed after the first digit).
- The second part is  $\times 10$  to a power that would put the decimal point back where it should be.

Digits      Power of 10

5326.6 = 5.3266  $\times 10^{\color{purple}3}$

A Number      In Scientific Notation

Hint: The power we choose is the number of decimal places we move the number. If we move left the power is positive. If we move right the power is negative!

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Practice!

Re-write the following in scientific notation

1) 4167 →  $4.167 \times 10^3$

2) 0.478 →  $4.78 \times 10^{-1}$

move to right  
is negative.

3) 200 →  $2.00 \times 10^2$

move to left  
is positive

4) 0.00382 →  $3.82 \times 10^{-3}$

5) 50178000 →  $5.0178 \times 10^7$

6) 0.0000000072 →  $7.2 \times 10^{-9}$

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Addition and Subtraction!

When adding or subtracting the answer should have the same number of DECIMAL places as the LEAST number found in the original problem

Example:  $2.10 \text{ m} + 3.1 \text{ m} = 5.2 \text{ m}$

$1.304 \text{ m} - 0.2 \text{ m} = 1.1 \text{ m}$

Practice!

1.  $4.02 + 7.135 = 11.155 = 11.16$  4 sig. digits

2.  $12.23 - 1.124 = 11.106 = 11.1$  1 sig. digits

3.  $4.569 + 0.1 = 4.669 = 4.7$  2 sig. digits

4.  $108.92 - 1.1 = 107.82 = 107.8$  4 sig. digits.

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**Multiplication and Division**

The answer should have the same number of significant figures as the measurement with the LEAST number of significant figures in the original problem.

$$\text{Example: } \overset{4}{3.245} \times \overset{3}{5.02} = \underline{16.2899} = 16.3$$

$$\overset{3}{16.5} / \overset{5}{2.3342} = 7.068803016\dots = 7.07$$

**Practice!**

$$1. \overset{1}{0.02} \times \overset{3}{5.23} = \overset{0.1}{0.1046}$$

$$3. \overset{3}{32.0} / \overset{2}{0.0032} = \overset{1.0 \times 10^4}{10000}$$

$$2. \overset{3}{23.5} / \overset{2}{7.0} =$$

$$\overset{\uparrow}{3.357142857}$$

$$= 3.4$$

$$4. \overset{1}{100} \times \overset{2}{45} = \overset{1.0 \times 10^4}{4500} = 5000$$

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